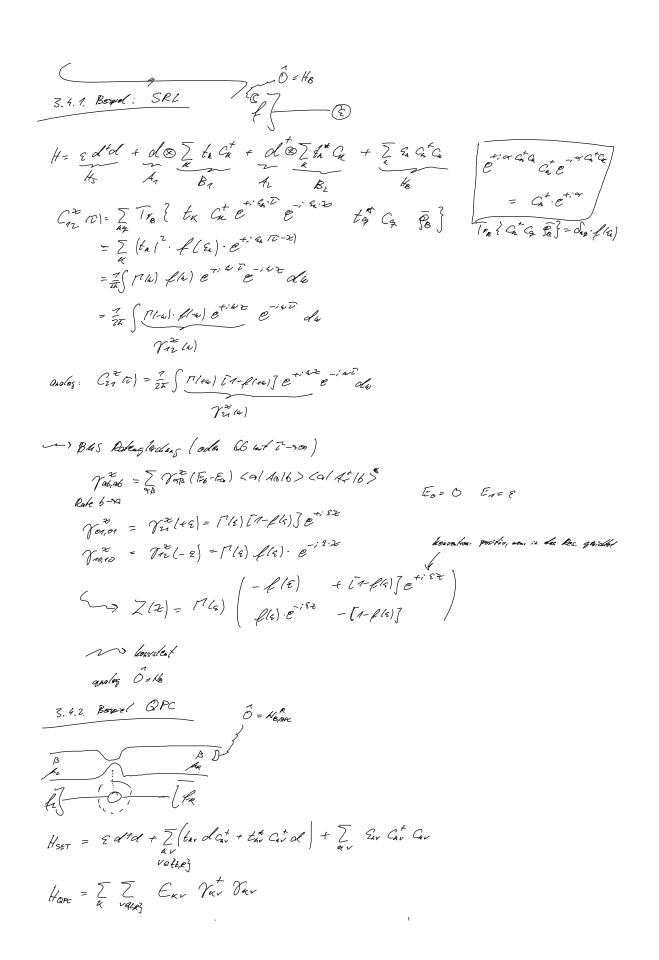
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hiles Mosest (2t) = (Will). 2x d2 . Librarkop Ablothurg own 2F 2 Massangar Bod: $k_0 = 0$ Nesse due Wiferan einer Bart-Observable \widehat{O} Mart da. T. Massang $M_{tot}(x,t) = \widehat{\sum} \{1/2 e^{\pm i \cdot x} (\widehat{O} - O_e)\}$ $M_{tot}(x,t) = \widehat{\sum} \{1/2 e^{\pm i \cdot x} (\widehat{O} - O_e)\}$ Nesse due Wiferan einer Bart-Observable \widehat{O} Mart da. T. Massanga $M_{tot}(x,t) = \widehat{\sum} \{1/2 e^{\pm i \cdot x} (\widehat{O} - O_e)\}$ Nesse due Wiferan einer Bart-Observable \widehat{O} Mart da. T. Massanga $M_{tot}(x,t) = \widehat{\sum} \{0/2 e^{\pm i \cdot x} (\widehat{O} - O_e)\}$ Nesse due Wiferan einer Bart-Observable \widehat{O} Mart da. T. Massanga $M_{tot}(x,t) = \widehat{\sum} \{0/2 e^{\pm i \cdot x} (\widehat{O} - O_e)\}$ Nesse due Wiferan einer Bart-Observable \widehat{O} Mart da. T. Massanga $M_{tot}(x,t) = \widehat{\sum} \{0/2 e^{\pm i \cdot x} (\widehat{O} - O_e)\}$ Nesse due Wiferan einer Bart-Observable \widehat{O} Mart da. T. Massanga $M_{tot}(x,t) = \widehat{\sum} \{0/2 e^{\pm i \cdot x} (\widehat{O} - O_e)\}$ Nesse due Wiferan einer Bart-Observable \widehat{O} Mart da. T. Massanga $M_{tot}(x,t) = \widehat{\sum} \{0/2 e^{\pm i \cdot x} (\widehat{O} - O_e)\}$ Nesse due Wiferan einer Bart-Observable \widehat{O} Mart da. T. Massanga $M_{tot}(x,t) = \widehat{\sum} \{0/2 e^{\pm i \cdot x} (\widehat{O} - O_e)\}$ Nesse due Wiferan einer Bart-Observable \widehat{O} Mart da. T. Massanga $M_{tot}(x,t) = \widehat{\sum} \{0/2 e^{\pm i \cdot x} (\widehat{O} - O_e)\}$ Nesse due Wiferan einer Bart-Observable \widehat{O} Mart da. T. Massanga $M_{tot}(x,t) = \widehat{\sum} \{0/2 e^{\pm i \cdot x} (\widehat{O} - O_e)\}$ Nesse due Wiferan einer Bart-Observable \widehat{O} Mart da. T. Massanga $M_{tot}(x,t) = \widehat{\sum} \{0/2 e^{\pm i \cdot x} (\widehat{O} - O_e)\}$ Nesse due Wiferan einer Bart-Observable \widehat{O} Mart da. T. Massanga \widehat{O} Mart da. T. M 7.B. (-; 22) K /2, 12, 1) |2== = = = Tr { (0-02) * Swo (4) } We rally to t- Eat. - Op. $M_{2n}(t) = e^{\frac{i}{\hbar} \frac{\partial^2 z}{\partial z}}$ $\frac{\partial^2 z}{\partial x}$ $\frac{\partial^2 z}{\partial$ - verally. horrelations function Cops (T) -> Cops (T) = Tre {e e Bre : Bre : ET e Bre : Es } folls &= 2 Pe lexel (=> [\$\overline{6}] = 0 Wann sine wall + Robertonian accest. Touch I Touch R

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 $T = \frac{A_{1} R_{1}}{1 - e^{-2\beta t_{1} x_{1}}}$ $T_{0} = \frac{A_{1} R_{2}}{1 - e^{-2\beta t_{1} x_{1}}}$