a) 
$$h(r_{12}) = c(r_{12}) + g \int d^3r_3 c(r_{13}) h(r_{32})$$
 (6.54)

b) Absolubledingge: (,, closure relation)

... Percus-Yevick-Gl. (nidtlineare Integral of.)

· Bemerkoga:

(1) analytisal to slear for hante Kupelin in 3D:

arbeite mit Kanitate flet. y(r) mit  $y(r) = e^{ku(r)} g(r) = \begin{cases} g(r), r > 2a = 6 \\ -c(r), r < 2a \end{cases}$ [v(r) = 0!]  $y(r) = e^{ku(r)} g(r) = \begin{cases} -c(r), r < 2a \end{cases}$ [vir) = 0 in (6.63)]

$$y(r) = e^{\int u(r)} g(r) = \begin{cases} g(r), r > 2a = 6 \\ -c(r), r < 2a \\ -c(r) \end{cases}$$
 [which is a full of the second of the sec

Resultate: s. Fatie, shimmen gut int Simbahane übere [S(L) = 1-ec(L)]

(2) numeriod løsbor & bolishige v(r)
(3) gut fir komreidweitige bokkale

(iii) " Hypervernetate Kellenniturg" [hyperneted-chain approximation (HUC)] . Kegdy ater diagrammatele Entridling - Absoly Stading: (of ellowation)  $g(r) \approx e^{-\beta V(r) + h(r) - c(r)}$   $g(r) \approx e^{-\beta V(r) + h(r) - c(r)}$   $g(r) = -\beta V(r) + g(r) - 1 - \ln g(r)$  h(r) h(r) h(r)  $h(r) \approx c(r) - \frac{in(6.65)}{2}g(r) \approx e^{-\beta V(r)} (6.41)$   $(2) r \rightarrow \infty: g(r) \rightarrow 1 - \frac{in(6.65)}{2} c(r) \approx -\beta V(r) (6.57)$ also: Lorrellos asprophiscles valable & g=0 und r=00 · Integral of: (6.55) -> In [g(r) e (v)] = h(v)-c(v) (6.55) -> In [g(r) e (v)] = h(v)-c(v) Lem: gut fer " weide Abstyling of weitrerdale (Couland, Yuhana, Dipol-Ww)

- M. gut for harte Kugh nicht gut für harte Kugden -> ANC Applata zu PY 6.7 Theorie de Linksde Opales ont

· Systeme: (1) ein harp. System: 2. b. Argon brus Lennard-Jones-System - Folian Phasendiagrame: s. Folien Plussig-Gas-Koesista: 3 = ×9,+ (1-x)951 Koexistaline andet im Litischen Vantt. 89-891 = 0 (2) bi nære Misdy aus Flussy keit Aud B:

2. b. Hexon-Mekand-Gesmisd

Phasen diagramm: The dideo

Phasen diagramm: The diagramm: The dideo

Phasen diagramm: The dideo

Ph nothere Didle: S = (1-x)SA + xSx TTE: X Hain: A-reicle Ybase (molet. Misely!)

with: Miselyphide:

Kexistes/Endmisely in A-reicle I K-reicle

großer b-reicle Placese

Place Tot: " woledware Missly" & alle x T=Te}. Linksder Par H · Bederty dos hit. Partes (vgl. Kap. 6.3)

iso Rome Kompressibilitat.  $\chi_{T} = -\frac{1}{V} \frac{\partial V}{\partial P} = \frac{1}{S} \frac{\partial S}{\partial P} \longrightarrow \infty$  $(4) \chi_{\tau}^{(S,35)} \leq (g - \langle g \rangle)^2 \longrightarrow \emptyset \quad f = T \rightarrow T_C$